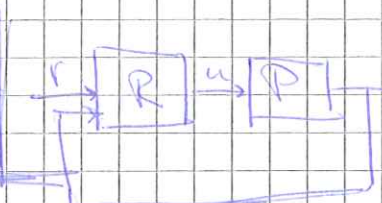


20/12-2012  
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Kaskadreglering

$$X = V_2 + G_{RP} (U_{FB} + G_{RF} V_2)$$

$$X = (1 + G_{RP} G_{RP} V_2 + G_{RP} U_{FB})$$

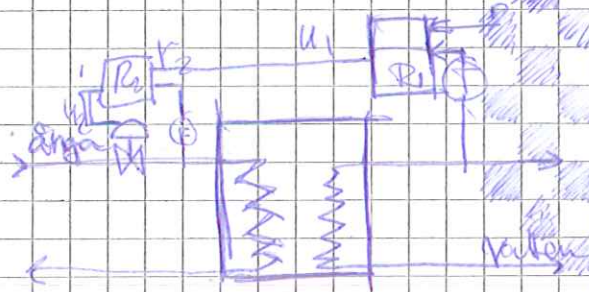
$$G_{RP} = -\frac{1}{G_{RP}} \Rightarrow V_2 \text{ p\u00e5verkan av } y$$

$$U_{RF} = (s+1) V_2 \text{ \u2013 d\u00f6stidreglering}$$

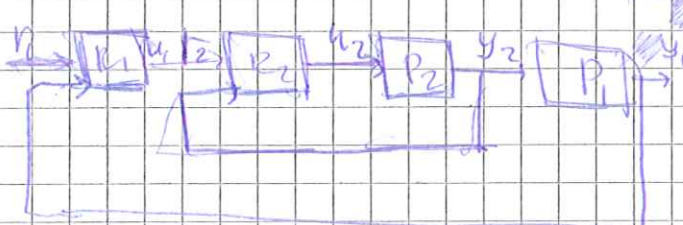
$$G_{RP} = \frac{1}{s+1}$$

$$\frac{1}{G_{RP}} = s+1$$

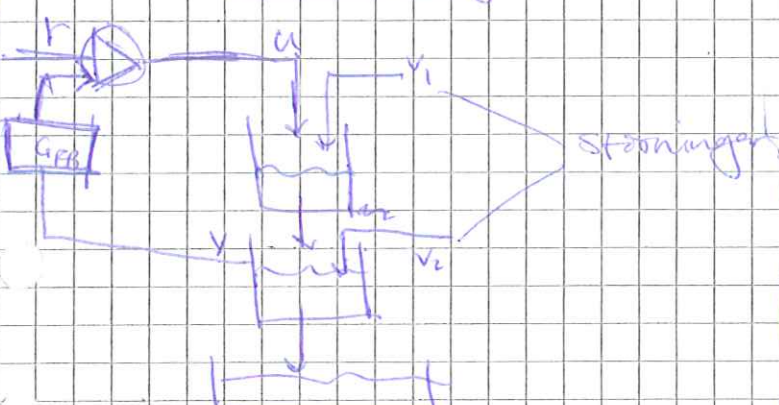
D\u00f6stidkompensering



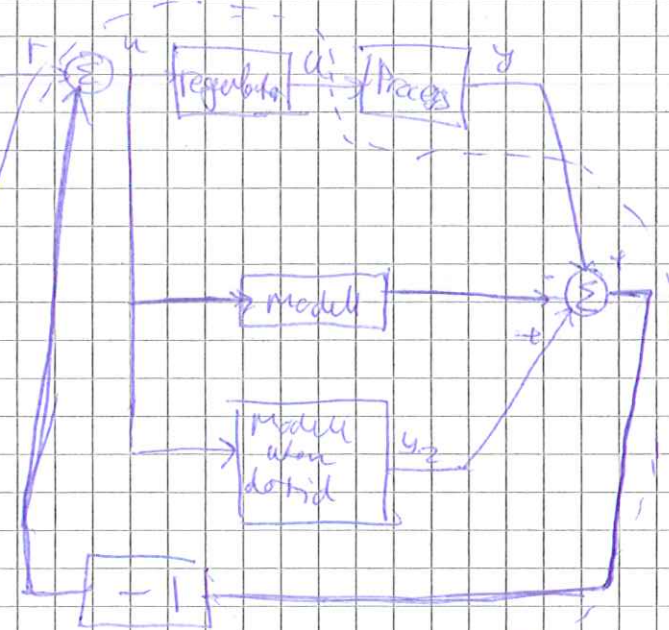
kanalen



Frankkoppling



st\u00f6rningarna



$$U = G_{FB} (R - Y_1 + Y_2) = G_{FB} (R - Y_2)$$

$$Y_2 = G_{PD} e^{-sT} U$$

$$U = G_{FB} (R - G_{PD} U) = \frac{G_{FB} R}{1 + G_{FB} G_{PD}}$$

$$Y = G_{PD} e^{-sT} U = \frac{G_{FB} G_{PD} R e^{-sT}}{1 + G_{FB} G_{PD}}$$

Sampling



V\u00e4rningseffekter

Samplingperiod:  $T$   
 Samplingfrekvens:  $\omega_s = \frac{2\pi}{T}$   
 Vi kan se frekvenser upp till  $\omega_h = \frac{\omega_s}{2}$   
 H\u00f6gre frekvenser upplevs som l\u00e4gre

1) St\u00f6ring p\u00e5 \u00e4ndre tanken

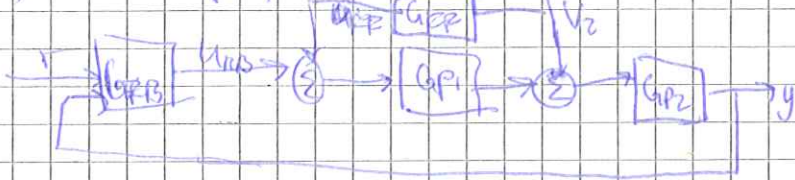


$$U_{FB} = G_{FB} V_1$$

$$X = V_1 + U_{FB} = G_{FB} V_1 = (1 + G_{FB}) V_1 + U_{FB}$$

$$G_{FB} = -1 \Rightarrow V_1 \text{ p\u00e5verkan av } y$$

2) St\u00f6ring p\u00e5 \u00e4ndre tanken





- 1) Sample filterwirkung oft  
 2) Hohe Frequenzen meist Filterausbau

Discretisierung von PID-Regulieren

$$u = K \left[ (b_r - y) + \frac{1}{sT_i} E - \frac{sT_d}{1+sT_dN} y \right]$$

$$u(kh) = P(kh) + I(kh) + D(kh)$$

P-Teil:

$$u_p(t) = K(b_r(t) - y(t))$$

$$P(kh) = k(b_r(kh) - y(kh))$$

I-Teil:

$$u_i(t) = \frac{k}{T_i} \int_0^t e(t) dt$$

$$I(kh) = \frac{k}{T_i} h \sum_{i=0}^{k-1} e(i) = I(kh-h) + \frac{kh}{T_i} e(kh)$$

D-Teil:

$$u_D = -\frac{sT_d}{1+sT_dN} y$$

$$(1 + s \frac{T_d}{N}) u_D = -sT_d y$$

$$u_D(t) = \frac{T_d}{N} \frac{du_D}{dt} = -kT_d \frac{dy}{dt}$$

$$D(kh) = \frac{T_d}{N} D(kh) - \frac{D(kh-h)}{h} = -kT_d \frac{y(kh) - y(kh-h)}{h}$$

$$(1 + \frac{T_d}{N_h}) D(kh) = \frac{T_d}{N_h} D(kh-h) - \frac{hT_d}{h} (y(kh) - y(kh-h))$$

$$D(kh) = \frac{T_d}{T_d + N_h} D(kh-h) - \frac{kT_d h}{T_d + N_h} (y(kh) - y(kh-h))$$

$$kT_d \frac{y(kh) - y(kh-h)}{h}$$

~~Handwritten scribble~~